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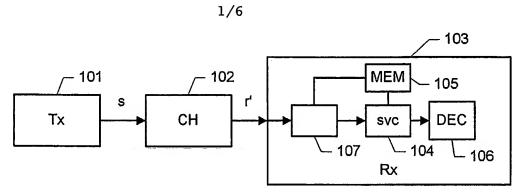


Fig. 1a

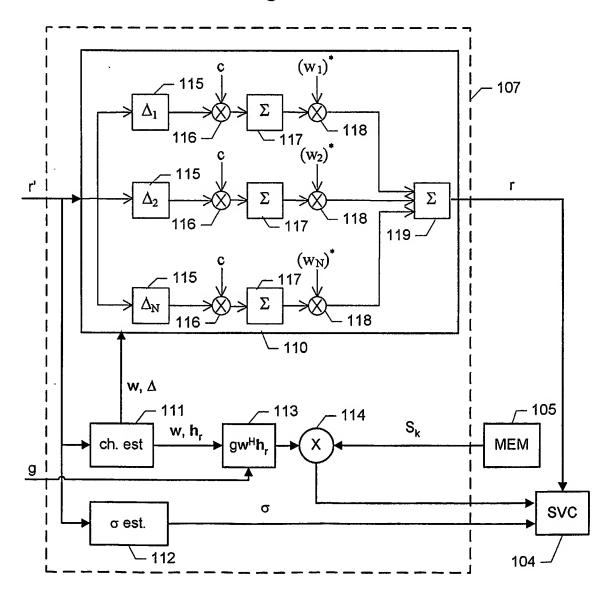
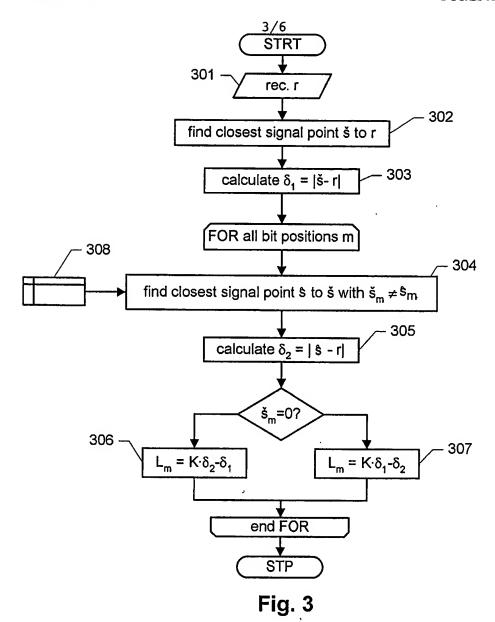


Fig. 1b

2/6 0111 1101 0101 1111 o S₁ o S₂ 0 S_3 S₄ 0110 δ_3 1100 1110 0100 S₆0 o S₅ 0 S₇ S₈ δ_2 - 201 0010 0000 1000 1010 o S₉ o S₁₀ o S₁₁ o S₁₂ 0011 0001 1011 1001 o S₁₃ o S₁₄ o S₁₆ o S₁₅

Fig. 2

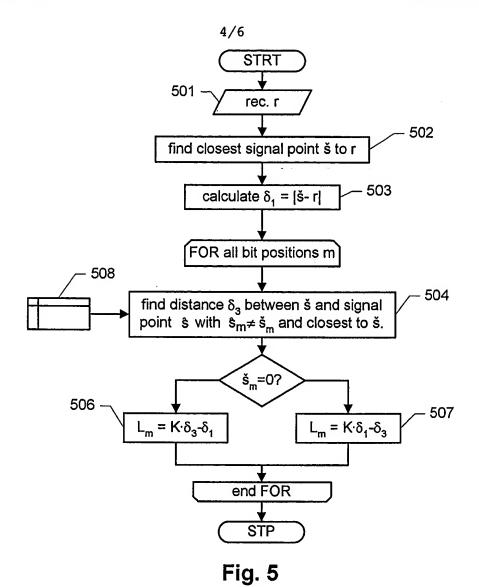


400		m = 1	m = 2		$m = log_2(M)$	
	$\check{s} = S_1$	\$ = S ₃	\$ = S ₉		\$ = S ₅	308
402 —	$\check{s} = S_2$	\$ = S ₃	\$ = S ₁₀		\$ = S ₆	<u>500</u>
	:		:	٠.	:	
	$\check{\mathbf{s}} = \mathbf{S}_{\mathbf{M}}$	\$ = S ₁₄	\$ = S ₈		S = S ₁₂	

Fig. 4

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	m = 1	m = 2		$m = log_2(M)$
S_1	d _{1,1}	d _{1,2}		d _{1,log(M)}
S_2	d _{2,1}	d _{2,2}		$d_{2,\log(M)}$
		:	·.	
S_{M}	$d_{M,1}$	d _{M,2}		d _{M,log(M)}

Fig. 6

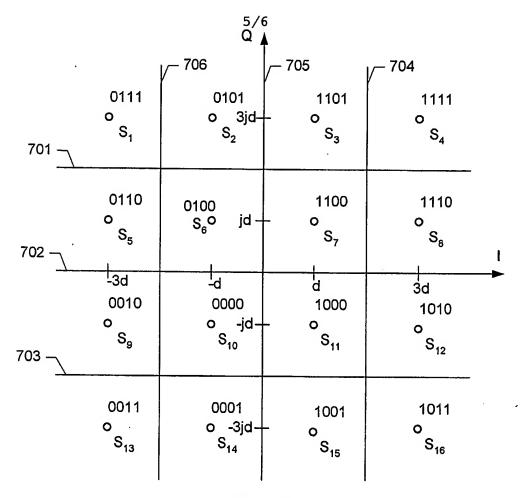
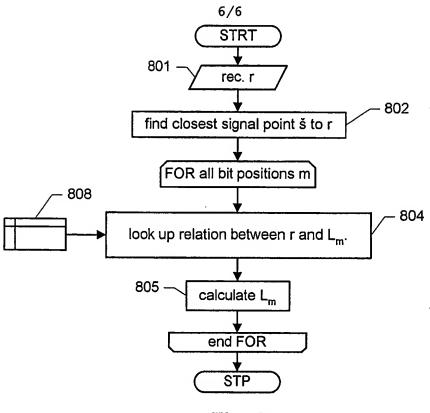


Fig. 7

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Sisteric Contract Contraction

F	i	q		8
-	_	J	_	_

Decision region	L ₁	L ₂	L ₃	L ₄
s_1	4K·(2ad-2d ²)	4K·(-2bd+2d ²)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₂	4K·(ad)	4K·(-2bd+2d ²)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₃	4K·(-ad)	4K·(-2bd+2d ²)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₄	4K·(-2ad+2d ²)	4K·(-2bd+2d ²)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₅	4K·(2ad-2d ²)	4K·(-bd)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₆	4K·(ad)	4K·(-bd)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₇	4K·(-ad)	4K·(-bd)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₈	4K·(-2ad+2d ²)	4K·(-bd)	4K·(ad-2d ²)	4K·(bd-2d ²)
S9	4K·(2ad-2d ²)	4K·(-bd)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₁₀	4K·(ad)	4K·(-bd)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₁₁	4K·(-ad)	4K·(-bd)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₁₂	4K·(-2ad+2d ²)	4K·(-bd)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₁₃	4K·(2ad-2d ²)	4K·(2bd-2d ²)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₁₄	4K·(ad)	4K·(2bd-2d ²)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₁₅	4K·(-ad)	4K·(2bd-2d ²)	4K·(ad-2d ²)	4K·(bd-2d ²)
S ₁₆	4K·(-2ad+2d ²)	4K·(2bd-2d ²)	4K·(ad-2d ²)	4K·(bd-2d ²)

Fig. 9